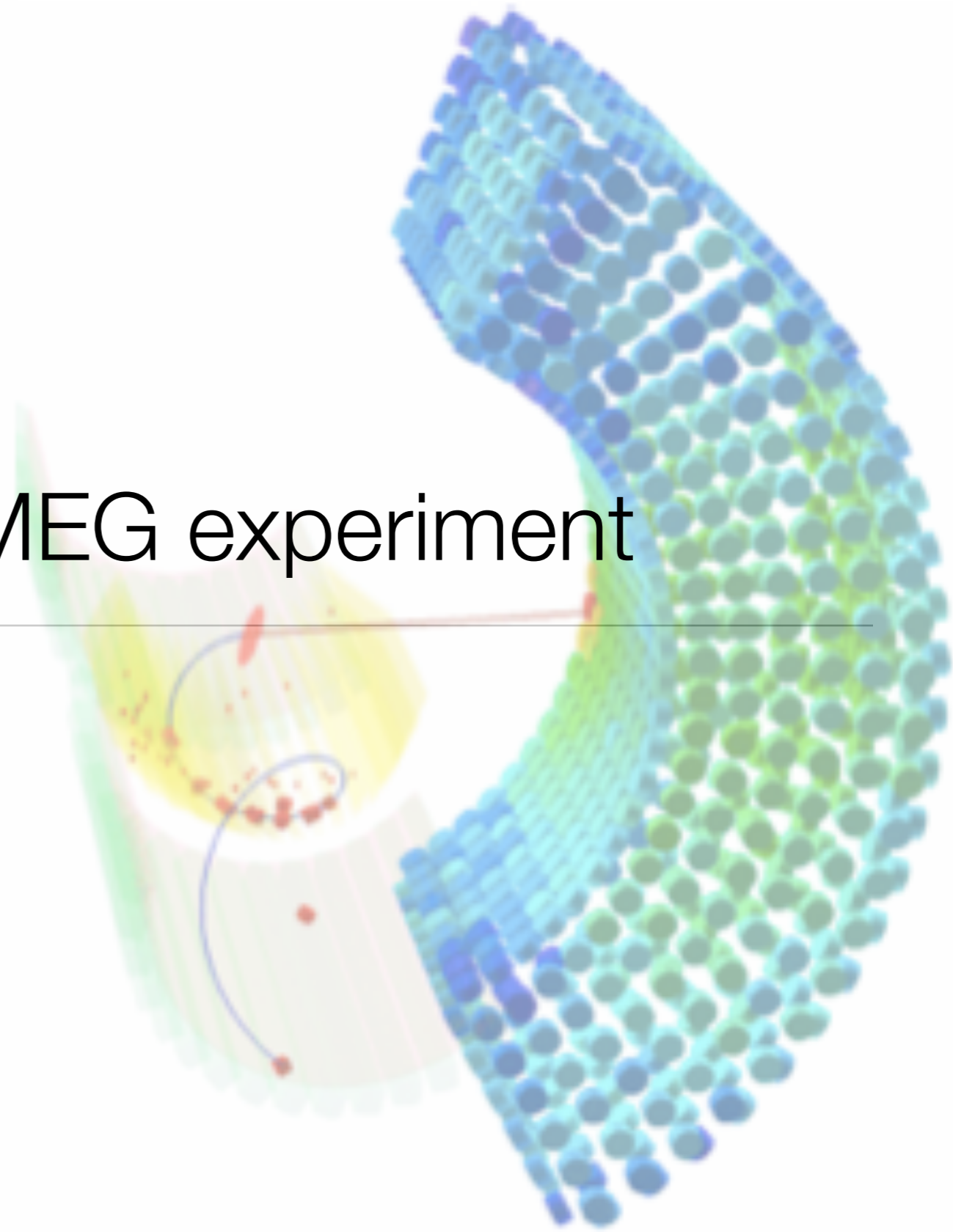


# Latest News from the MEG experiment

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Angela Papa  
Paul Scherrer Institute  
on behalf of MEG Collaboration

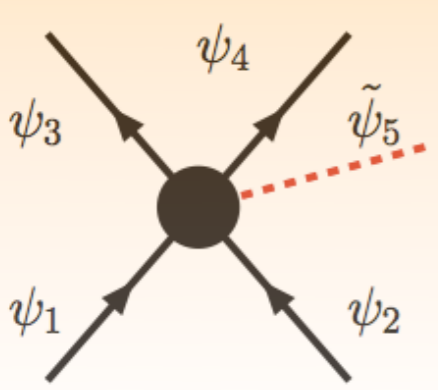


*June 3-6 Latsis Symposium 2013  
ETH Zurich, Switzerland*

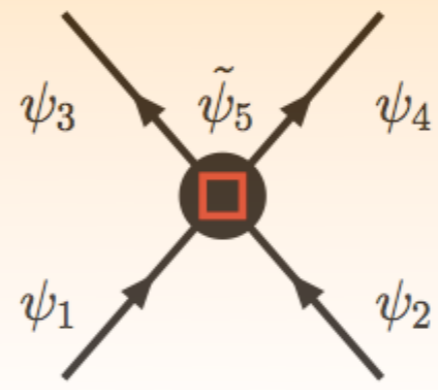
# The role of low energy physics in the LHC era

How can low energy experiments be sensitive to high-energy physics (BSM\*)?

- Direct/indirect production of **BSM particles**



- Real BSM particles produced in the final state
- Energy frontier (LHC)

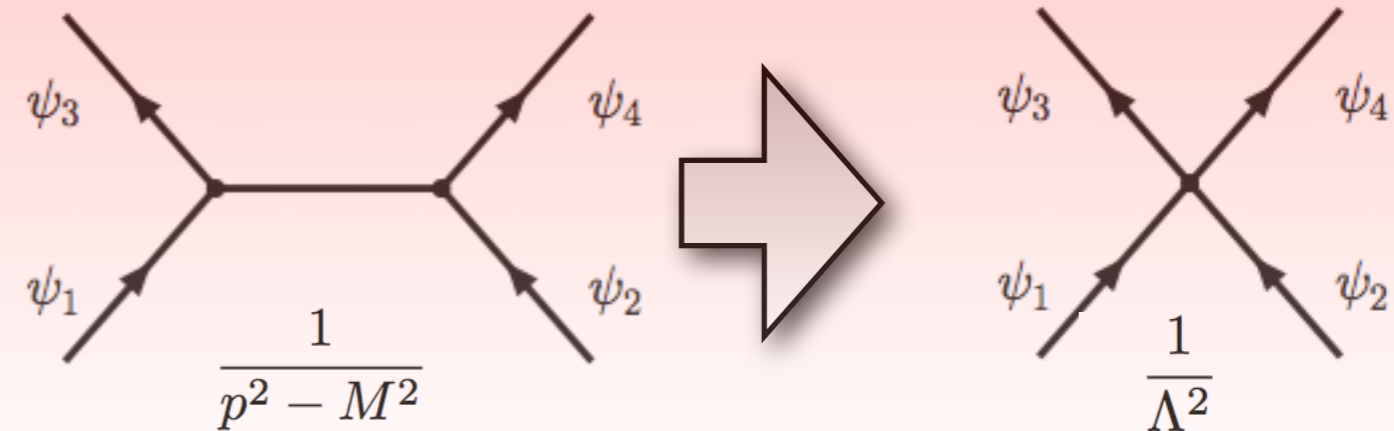


- Virtual BSM particles produced in loops
- Precision and intensity frontier

- **Effective field theory** approach

$$\mathcal{L}_{eff} = \mathcal{L}_{SM} + \sum_{d>4} \frac{c_n^{(d)}}{\Lambda^{d-4}} \mathcal{O}^{(d)}$$

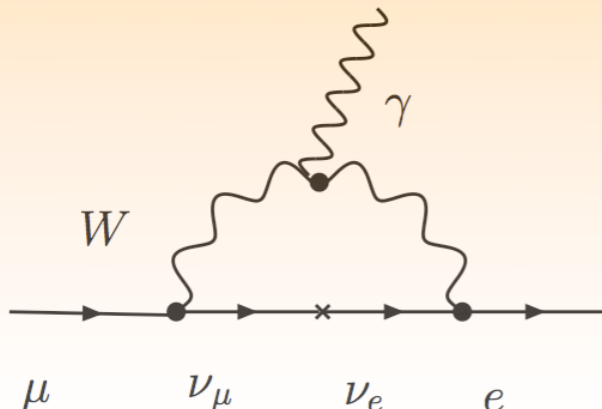
- $\mathcal{L}_{eff}$  is in terms of inverse powers of heavy scale



# The $\mu^+ \rightarrow e^+ \gamma$ decay

- Experimental evidence of neutrino oscillations

SM with massive neutrinos (Dirac)



$$\Gamma(\mu \rightarrow e\gamma) = \approx \frac{G_F^2 m_\mu^5}{192\pi^3} \frac{\alpha}{2\pi} \sin^2 2\theta \sin^2 \left( \frac{\Delta m^2 L}{4E} \right)$$

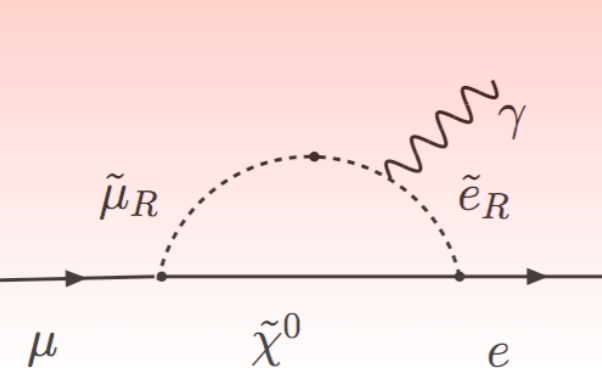
$$B(\mu^+ \rightarrow e^+ \gamma) \approx 10^{-54}$$

- SU(5) SUSY-GUT and SO(10) SUSY-GUT models predict measurable LFV decay BR
- Null results
  - precise test of established model
  - rule out speculative models

$$\Gamma(l_1 \rightarrow l_2 \gamma) = \frac{\alpha G_F^2 m_{l_1}^5}{2048\pi^4} (|D_R|^2 + |D_L|^2)$$

$$D_R = D_L \approx \frac{1}{G_F \Lambda^2}$$

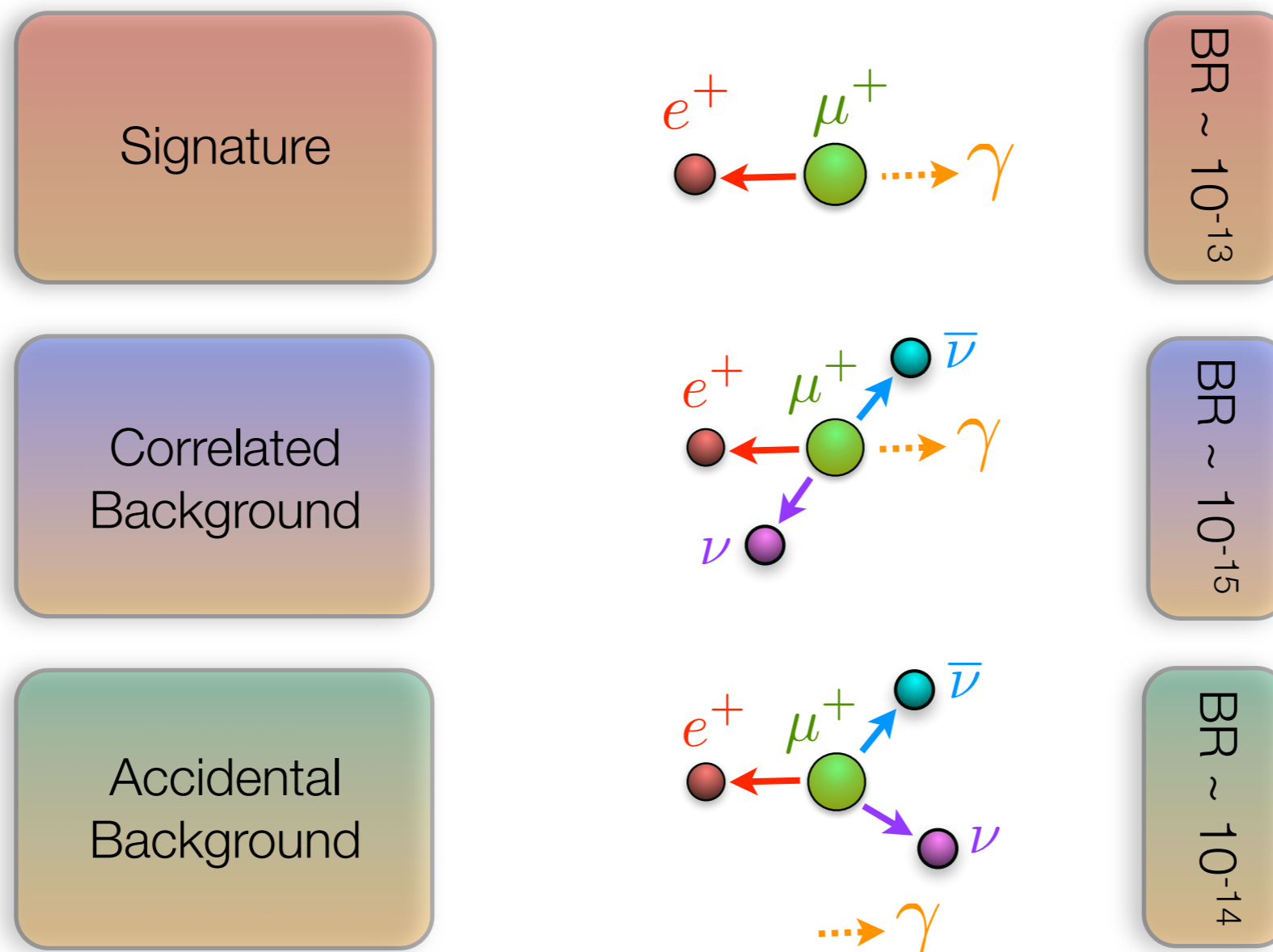
SU(5) SUSY-GUT o SO(10) SUSY-GUT



$$10^{-14} < B(\mu^+ \rightarrow e^+ \gamma) < 10^{-11}$$

# The MEG experiment

- The MEG experiment aims to search for  $\mu^+ \rightarrow e^+ \gamma$  with a sensitivity of  $\sim 10^{-13}$  (previous upper limit  $BR(\mu^+ \rightarrow e^+ \gamma) \leq 1.2 \times 10^{-11}$  @90 C.L. by MEGA experiment)
- Five observables ( $E_g$ ,  $E_e$ ,  $t_{eg}$ ,  $\vartheta_{eg}$ ,  $\phi_{eg}$ ) to characterize  $\mu \rightarrow e\gamma$  events

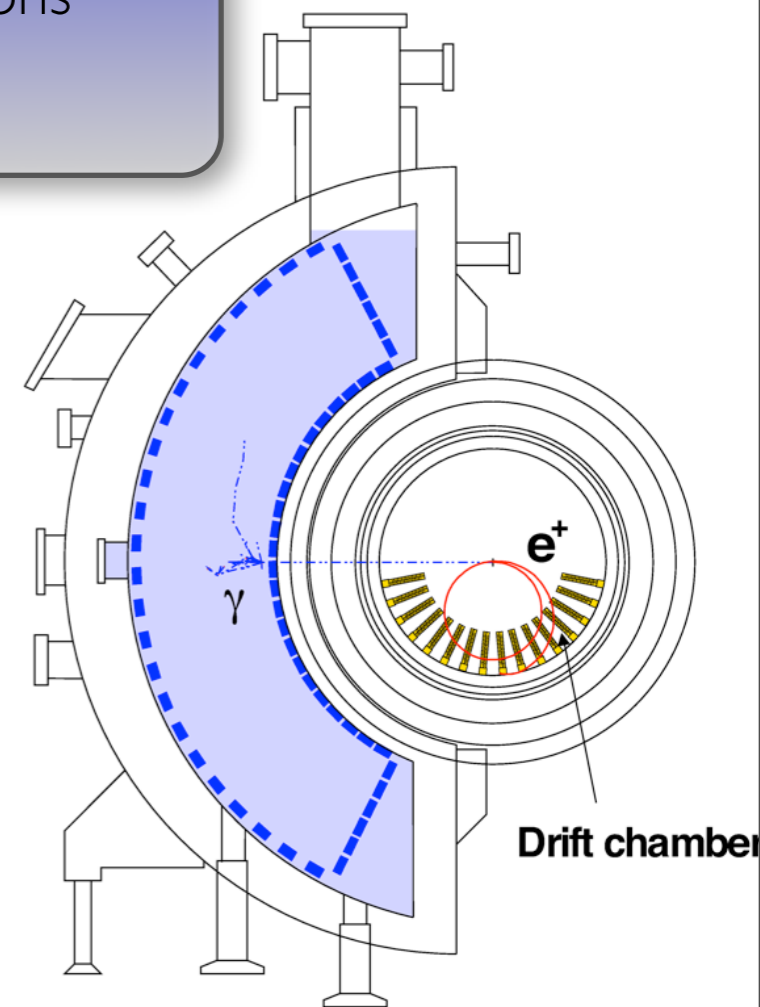
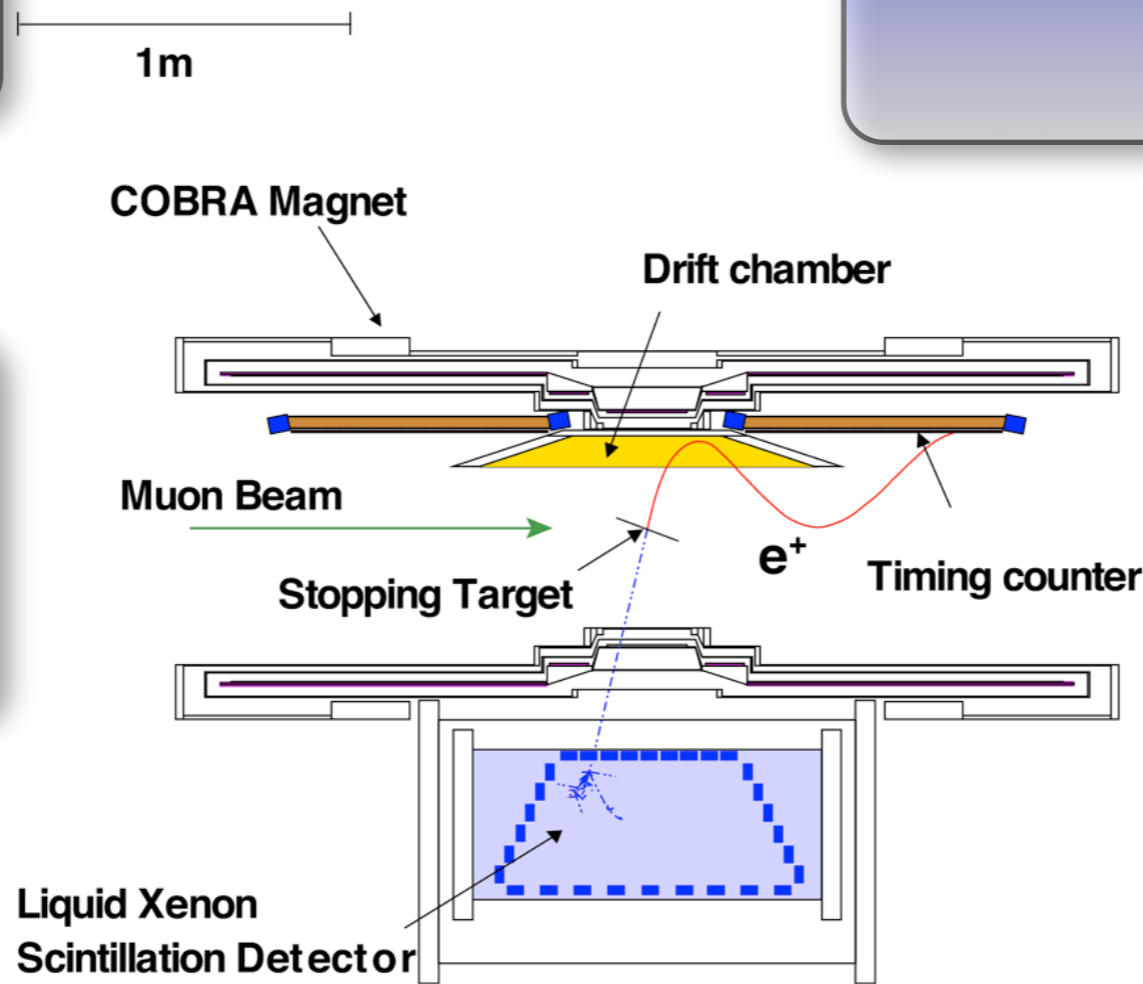


# Experimental set-up

The world most intense dc muon beam at PSI  
 **$I = 3 \times 10^7$  muon/s**

High gamma energy and time resolutions

Very precise positron momentum and time resolutions

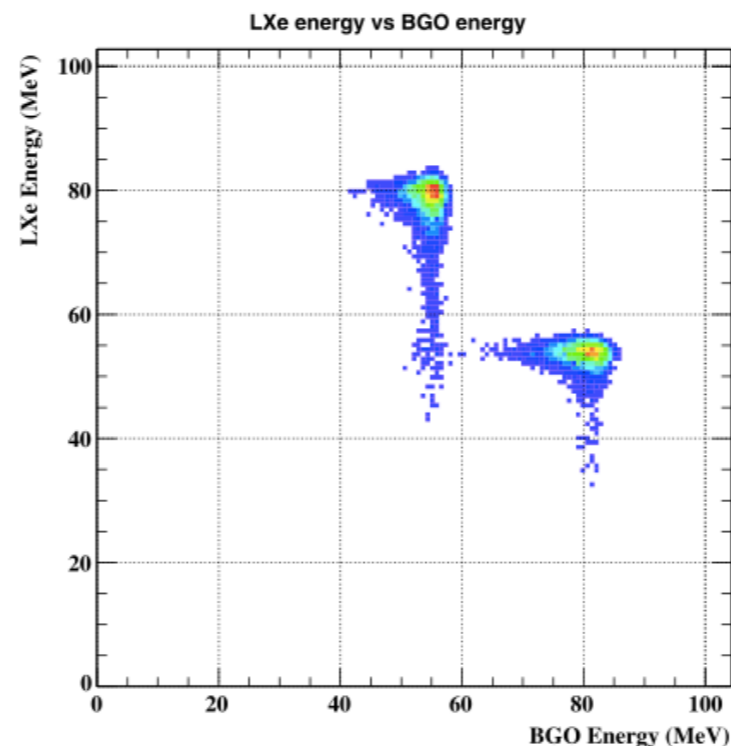
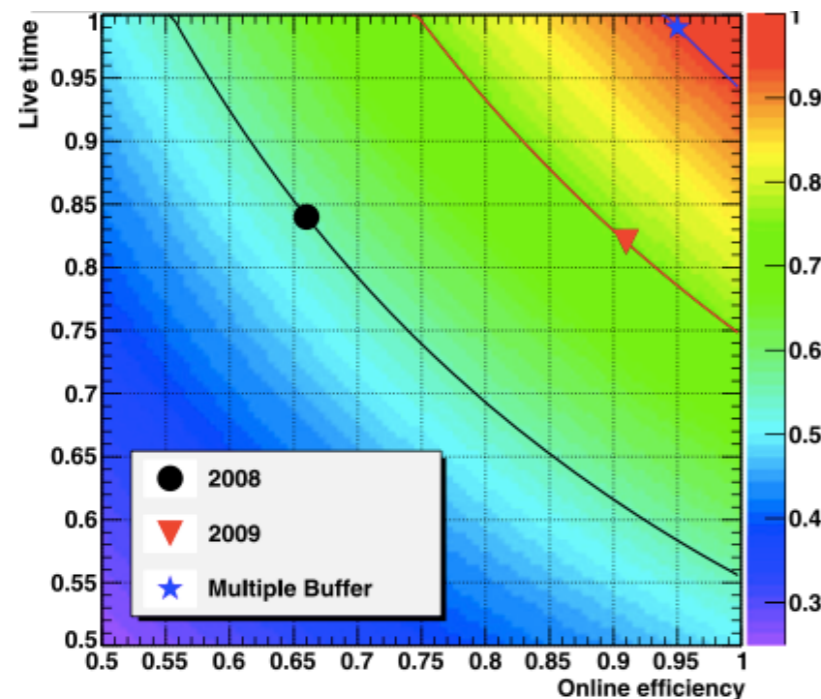


High efficiency event selection and frequency signal digitization

Complementary calibration and monitoring methods

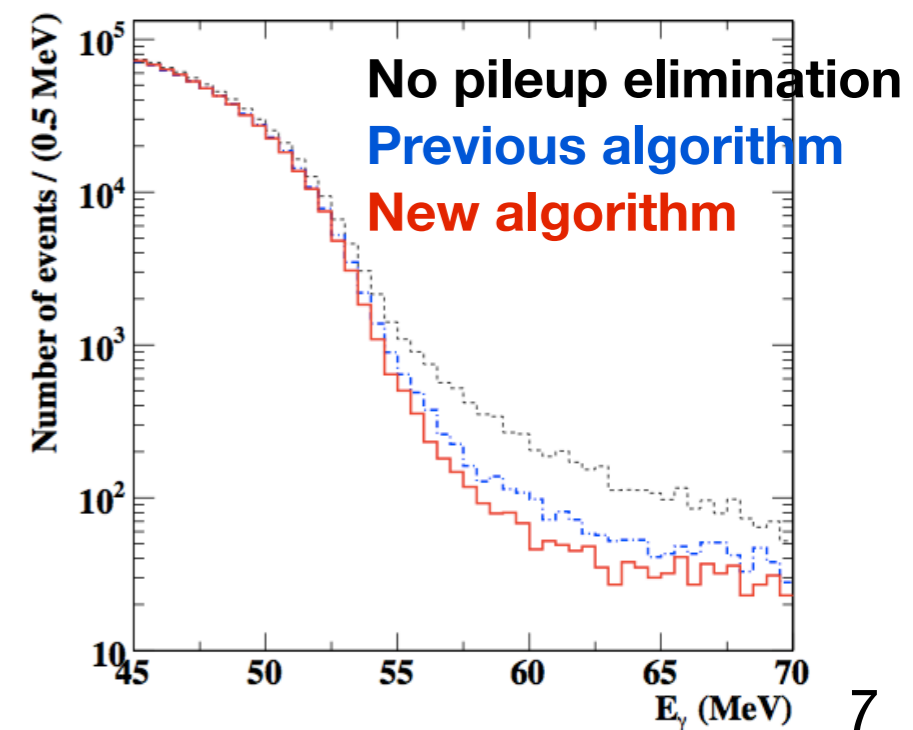
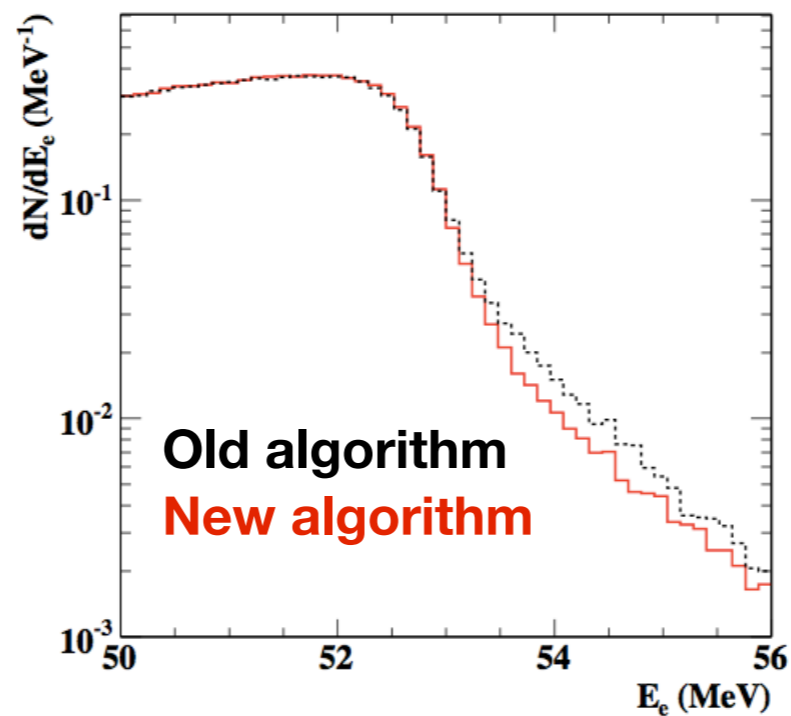
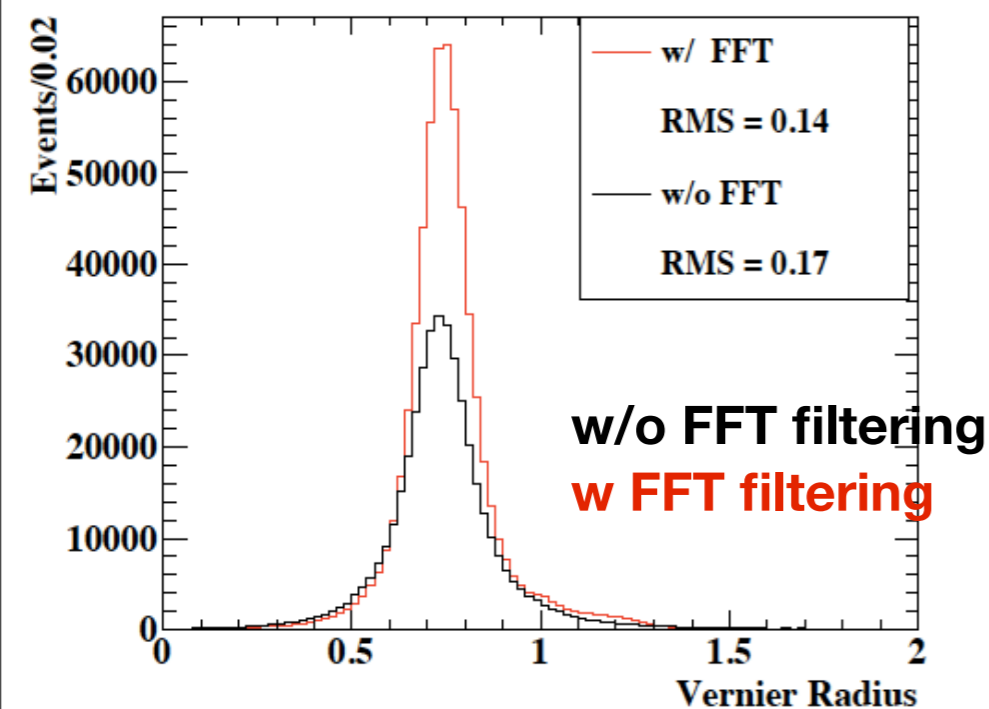
# What's new in 2011

- Hardware improvements
  - **Improved** trigger and DAQ efficiency (Double buffer) ( $\epsilon \sim 95\%$  ; **livetime  $\sim 99\%$** )
  - **Improved** LXe calibration with CEX reaction ( $\pi^-p \rightarrow \pi^0n$ ,  $\pi^0 \rightarrow 2\gamma$ ) thanks to the higher BGO array (auxiliary) detector resolutions
  - **New** optical survey technique **with laser tracker**



# What's new in 2011

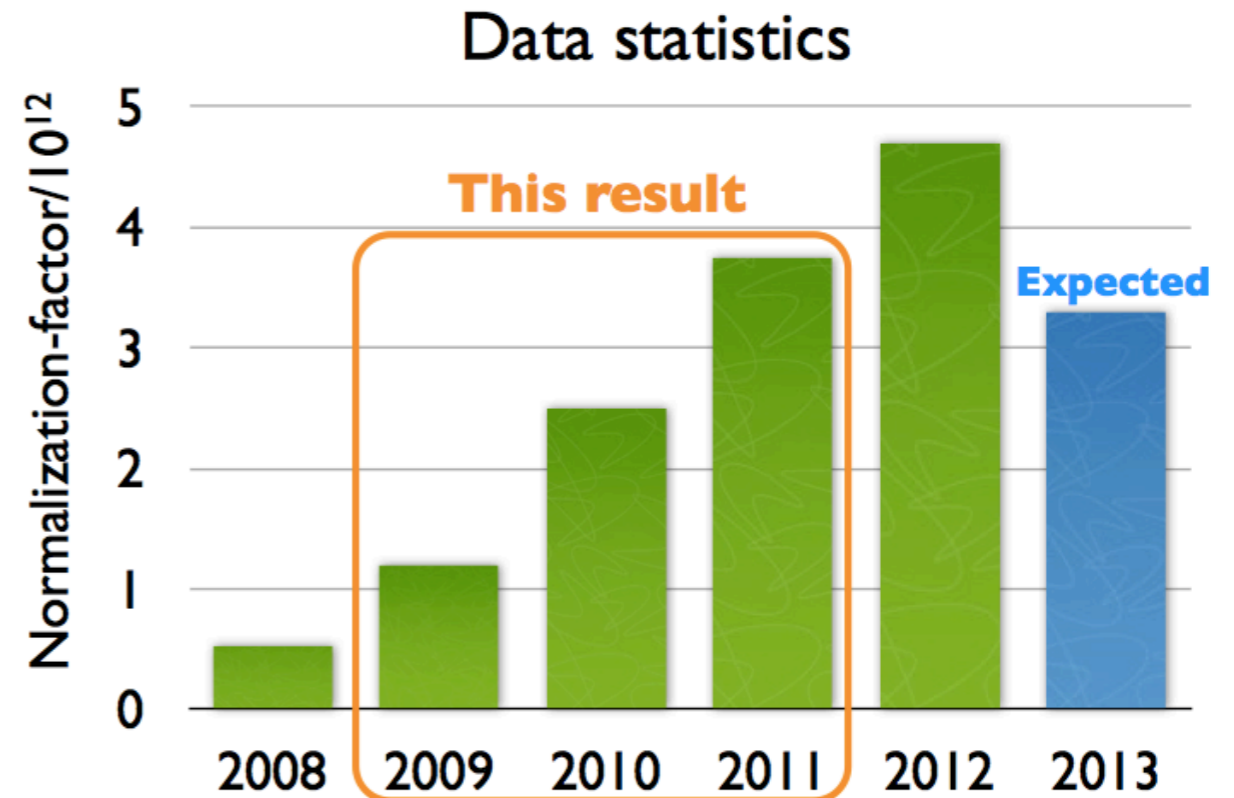
- Software improvements
  - **Reduced** drift chamber noise **with FFT filtering** ( $\sigma(\Theta) < 10\%$ )
  - **New track fit** algorithm based on Kalman filter technique ( $\epsilon > 7\%$ )
  - **Improved** pileup elimination algorithm in LXe detector ( $\epsilon > 7\%$ )



# Detector performance and Data sample

**New 2011**

	Resolutions ( $\sigma$ )
Gamma Energy (%)	1.7(depth>2cm), 2.4
Gamma Timing (psec)	67
Gamma Position (mm)	5(u,v), 6(w)
Gamma Efficiency (%)	63
Positron Momentum (KeV)	305 (core = 85%)
Positron Timing (psec)	108
Positron Angles (mrad)	7.5 ( $\Phi$ ), 10.6 ( $\theta$ )
Positron Efficiency (%)	40
Gamma-Positron Timing (psec)	127
Muon decay point (mm)	1.9 (z), 1.3 (y)

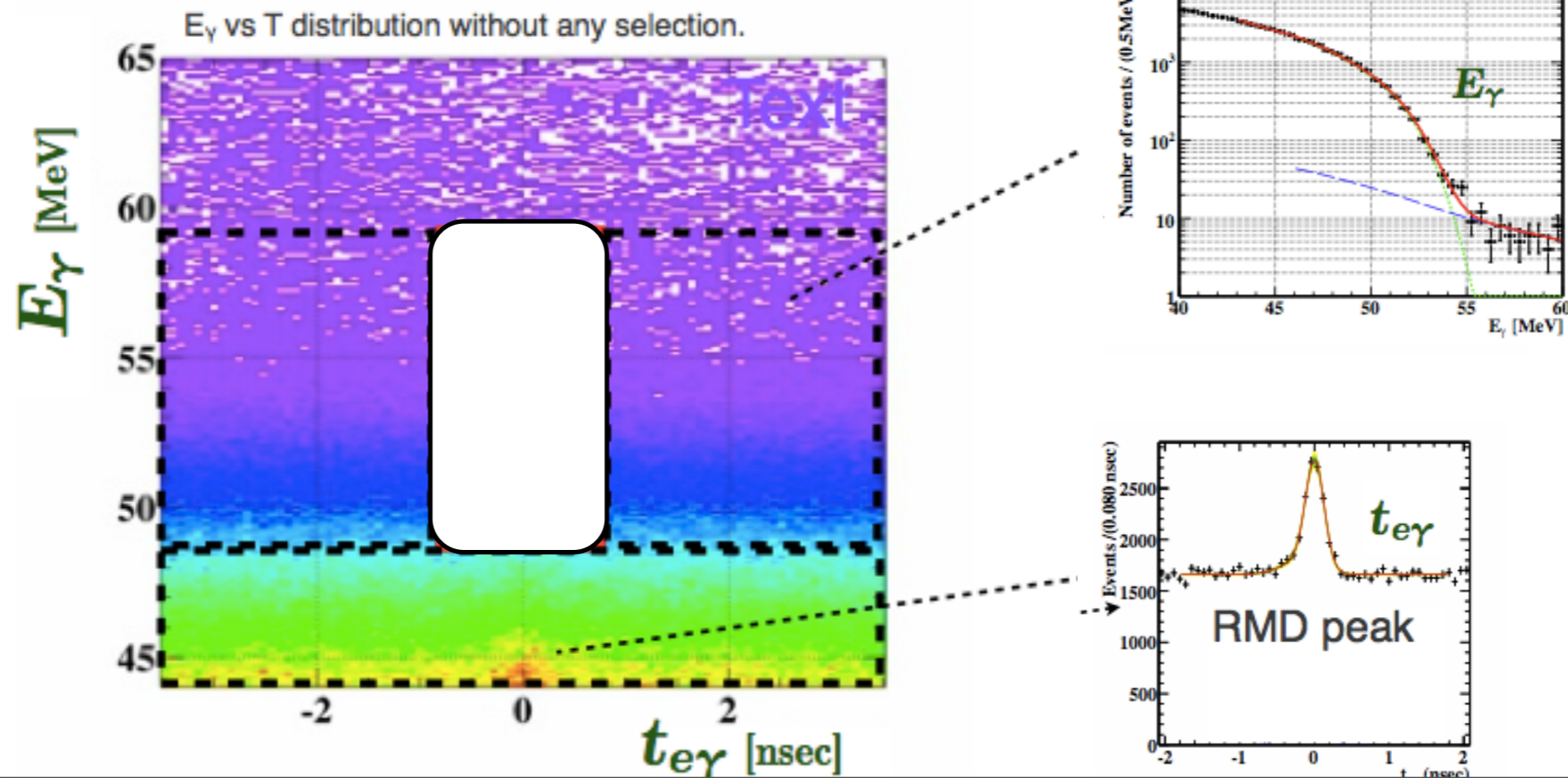


	$\mu$ stopped	sensitivity
<b>2009+10</b>	$1.75 \times 10^{14}$	$1.3 \times 10^{-12}$
<b>2011</b>	$1.85 \times 10^{14}$	$1.1 \times 10^{-12}$
<b>2009+10+11</b>	$3.60 \times 10^{14}$	$7.7 \times 10^{-13}$



# Physics Analysis Overview and Event Selection

- Five observables ( $E_g$ ,  $E_e$ ,  $t_{eg}$ ,  $\vartheta_{eg}$ ,  $\phi_{eg}$ ) to characterize  $\mu \rightarrow e\gamma$  events
- Event selection: Trigger selection ( $E_g > 45$  MeV,  $|\Delta t_{eg}| < 10$  ns,  $|\Delta\phi| < 7.5^\circ$ ) + at least 1 reconstructed track
- Blind Analysis (Sideband, Blind box)
- Maximum likelihood to extract  $N_{\text{sig}}$
- CL frequentistic approach



# Maximum Likelihood Analysis

---

- Analysis region:  $48 < E_\gamma < 58 \text{ MeV}$ ,  $50 < E_e < 56 \text{ MeV}$ ,  $|\theta_{e\gamma}| < 50 \text{ mrad}$ ,  $|\Phi_{e\gamma}| < 50 \text{ mrad}$ ,  $|T_{e\gamma}| < 0.7 \text{ ns}$
- Maximum likelihood analysis to estimate # of signal
  - Event-by-event PDF
    - gamma: position dependent resolutions
    - positron: per-event error matrix from Kalman filter

$$\mathcal{L}(N_{\text{sig}}, N_{\text{RMD}}, N_{\text{BG}}) = \frac{e^{-N}}{N_{\text{obs}}!} e^{-\frac{(N_{\text{RMD}} - \langle N_{\text{RMD}} \rangle)^2}{2\sigma_{\text{RMD}}^2}} e^{-\frac{(N_{\text{BG}} - \langle N_{\text{BG}} \rangle)^2}{2\sigma_{\text{BG}}^2}} \times \prod_{i=1}^{N_{\text{obs}}} (N_{\text{sig}} S(\vec{x}_i) + N_{\text{RMD}} R(\vec{x}_i) + N_{\text{BG}} B(\vec{x}_i))$$

- Confidence interval of Nsig (or B )
  - Frequentist approach with profile likelihood ratio ordering

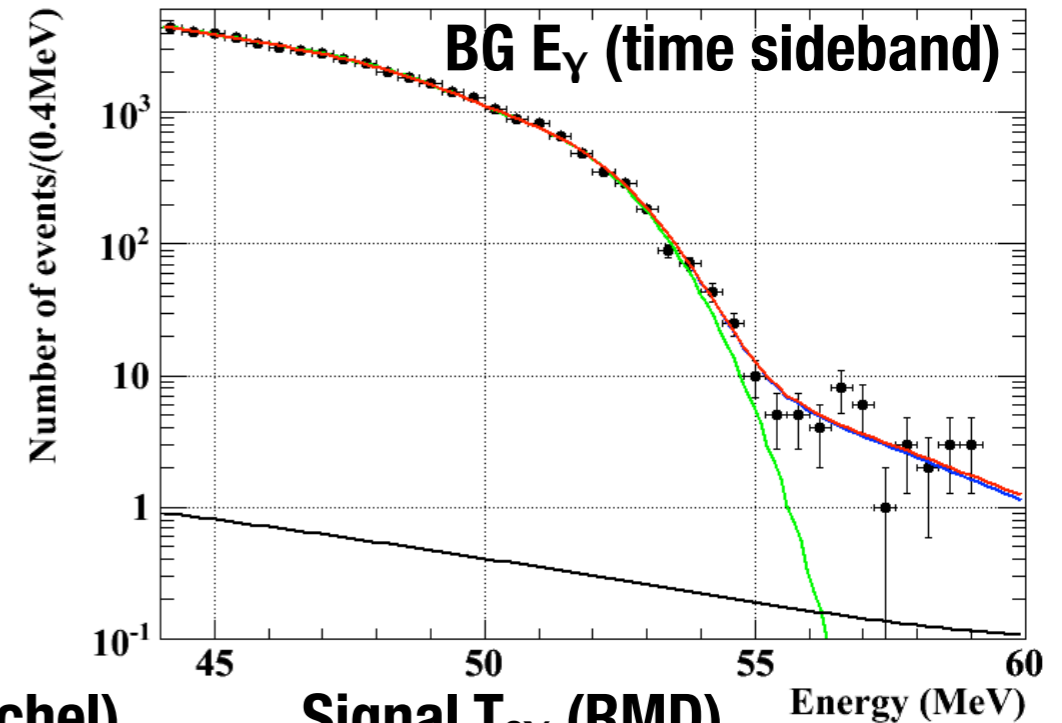
# Probability Density Functions

- **Probability density functions (PDF)** for likelihood function are mostly extracted from **data**

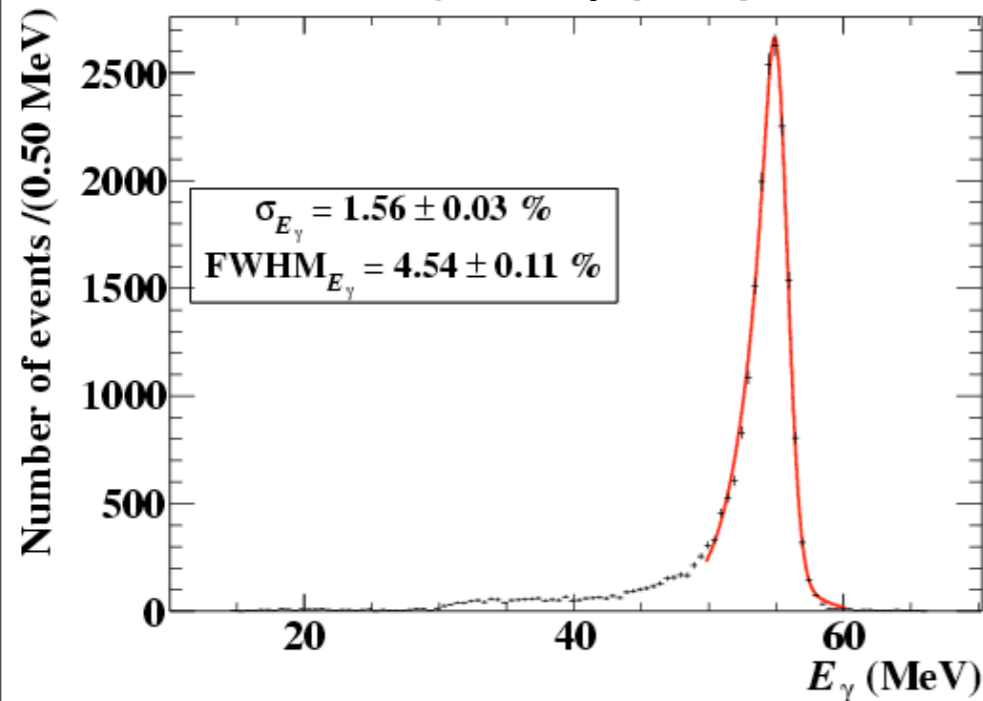
The **signal PDF  $S$**  is the product of the PDFs for  $E_e$ ,  $\theta_{e\gamma}$ ,  $\Phi_{e\gamma}$ ,  $T_{e\gamma}$  which are correlated variables, and the  $E_\gamma$  PDF

The **RMD PDF  $R$**  is the product of the same  $T_{e\gamma}$  PDF as that of the signal and the PDF of the other four correlated observables, which is formed by folding the theoretical spectrum with the detector response functions

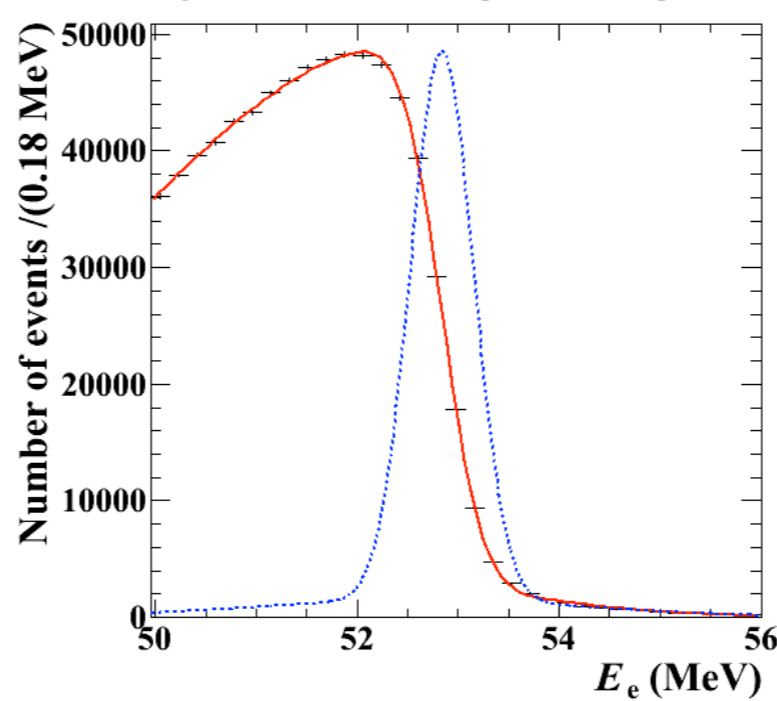
The **BG PDF  $B$**  is the product of the five PDFs, each of which is defined by the single background spectrum, precisely measured in the sidebands.



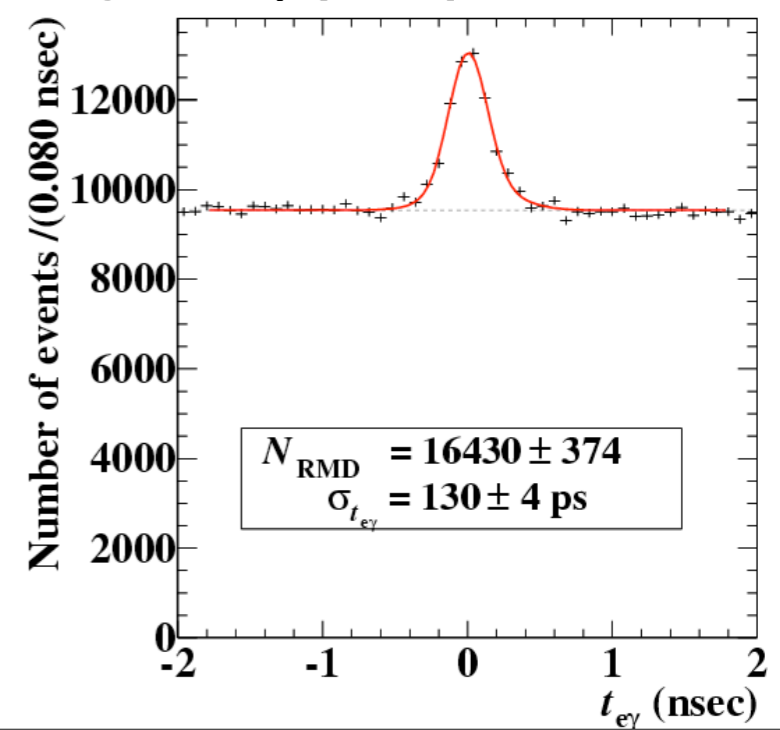
**Signal  $E_\gamma$  (CEX)**



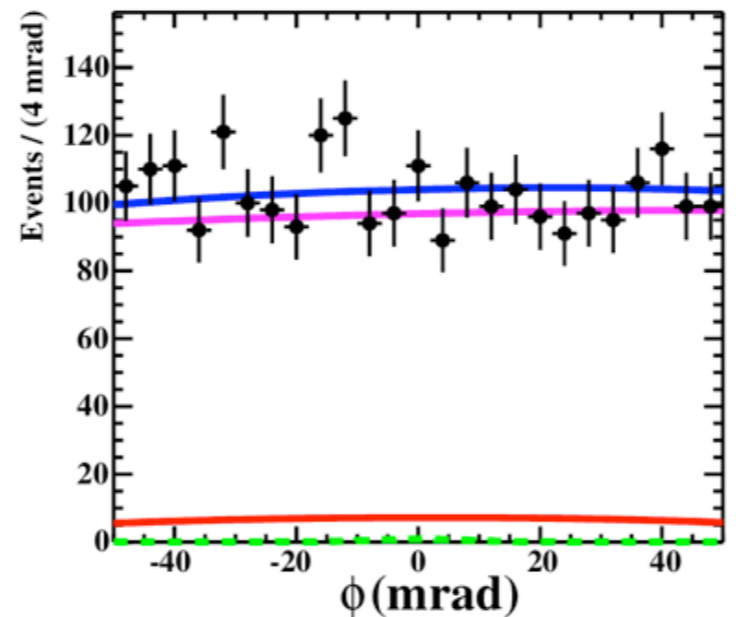
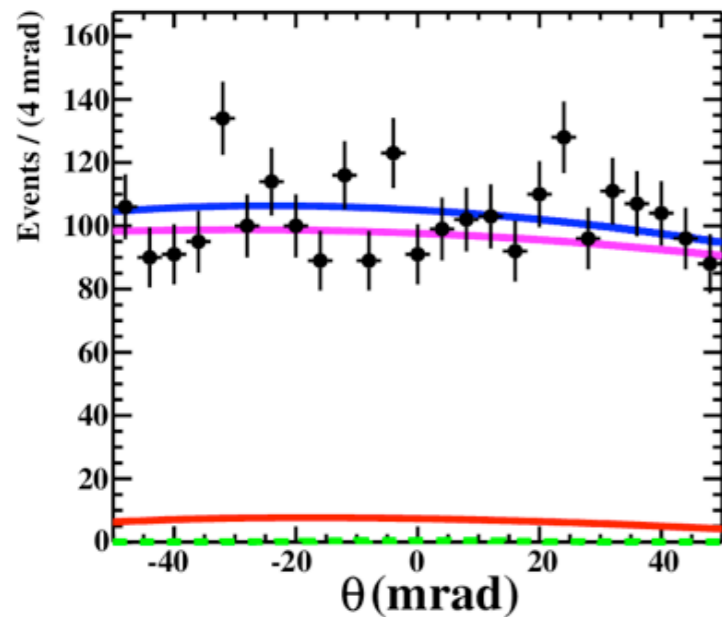
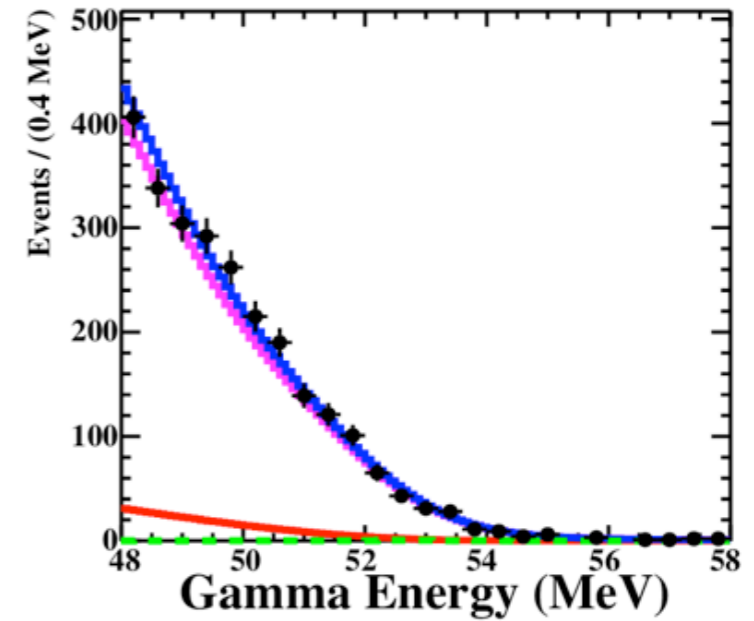
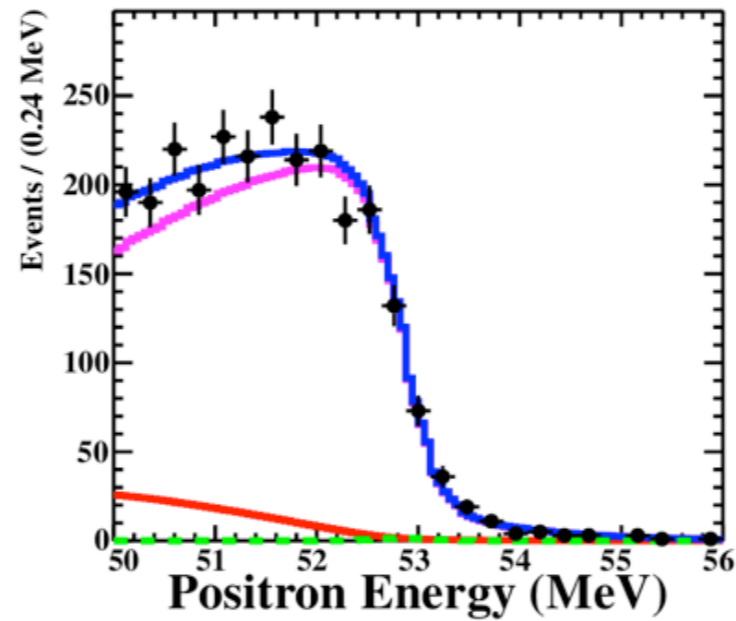
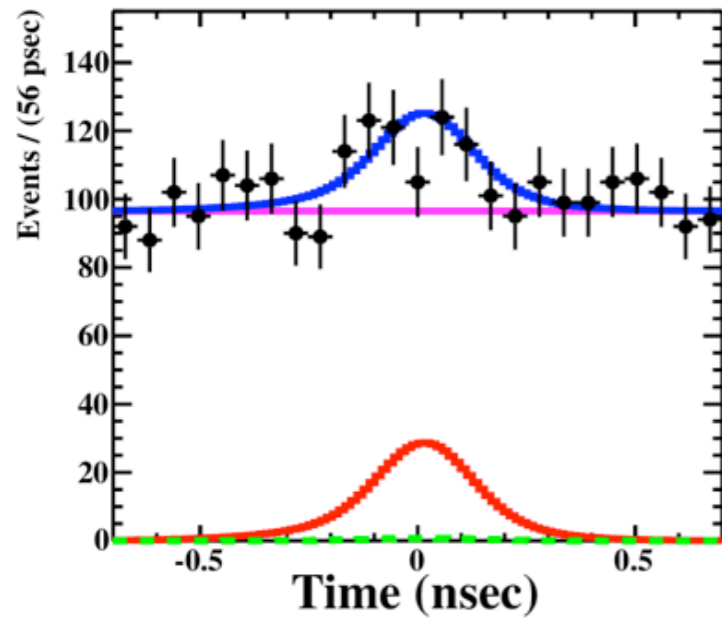
**Signal  $E_e$  /BG (Michel)**



**Signal  $T_{e\gamma}$  (RMD)**



# Likelihood Fit (2009-2011)



Green: Signal

Red: RMD

Purple: BCK

Blue: Total

Black: Data

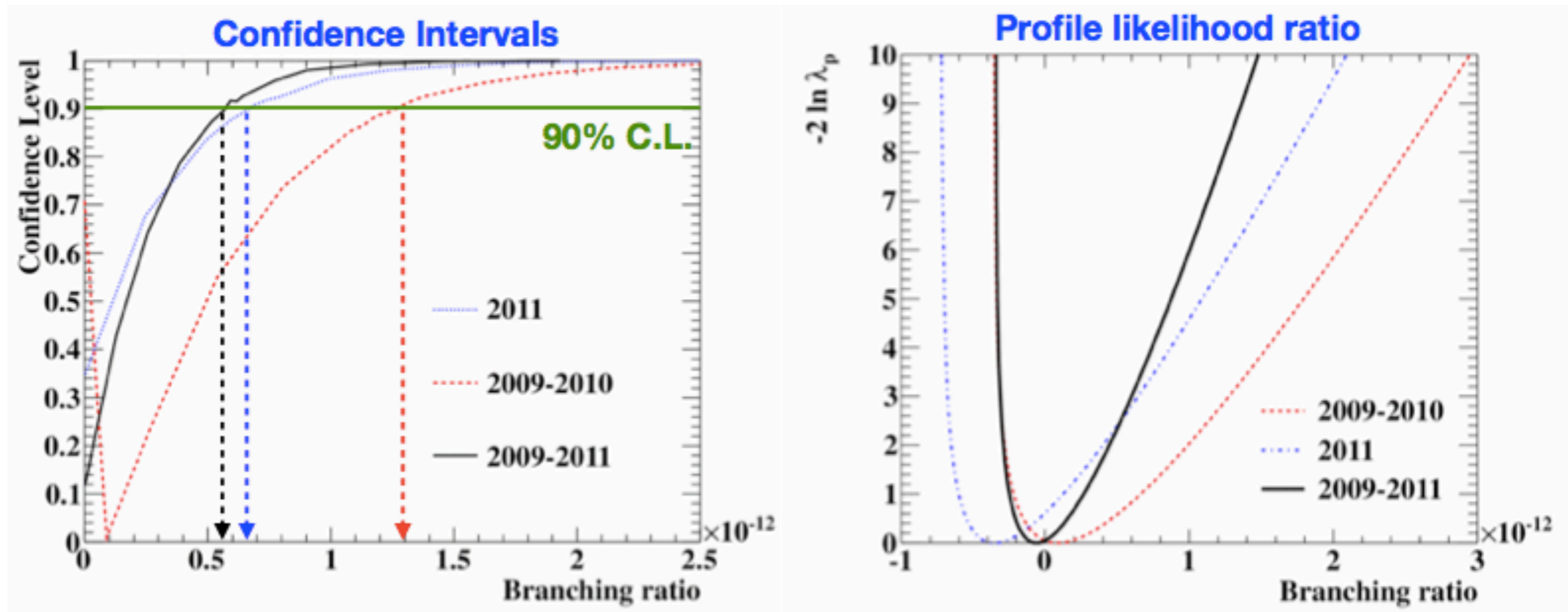
$$\text{NSIG} = -0.4(+4.8 -1.9)$$

$$\text{NRMD} = 167.5 \pm 24$$

$$\text{NBCK} = 2414 \pm 37$$

# Confidence Interval

- Confidence interval calculated with Feldman-Cousins method + profile likelihood ratio ordering



**Consistent with null-signal hypothesis**

# Summary of Results

(\*\*) 90% C.L. upper limit averaged over pseudo-experiments based on null-signal hypothesis with expected rates of RMD and BG

	Best fit	Upper Limit (90% C.L.)	Sensitivity **
<b>2009+10</b>	$0.09 \times 10^{-12}$	$1.3 \times 10^{-12}$	$1.3 \times 10^{-12}$
<b>2011</b>	$-0.35 \times 10^{-12}$	$6.7 \times 10^{-13}$	$1.1 \times 10^{-12}$
<b>2009+10+11</b>	$-0.06 \times 10^{-12}$	$5.7 \times 10^{-13}$	$7.7 \times 10^{-13}$

**$B(\mu^+ \rightarrow e^+ \gamma) < 5.7 \times 10^{-13}$  (all combined data) \***

**x4 more stringent than the previous upper limit**

**$(B(\mu^+ \rightarrow e^+ \gamma) < 2.4 \times 10^{-12}$  -MEG 2009-10)**

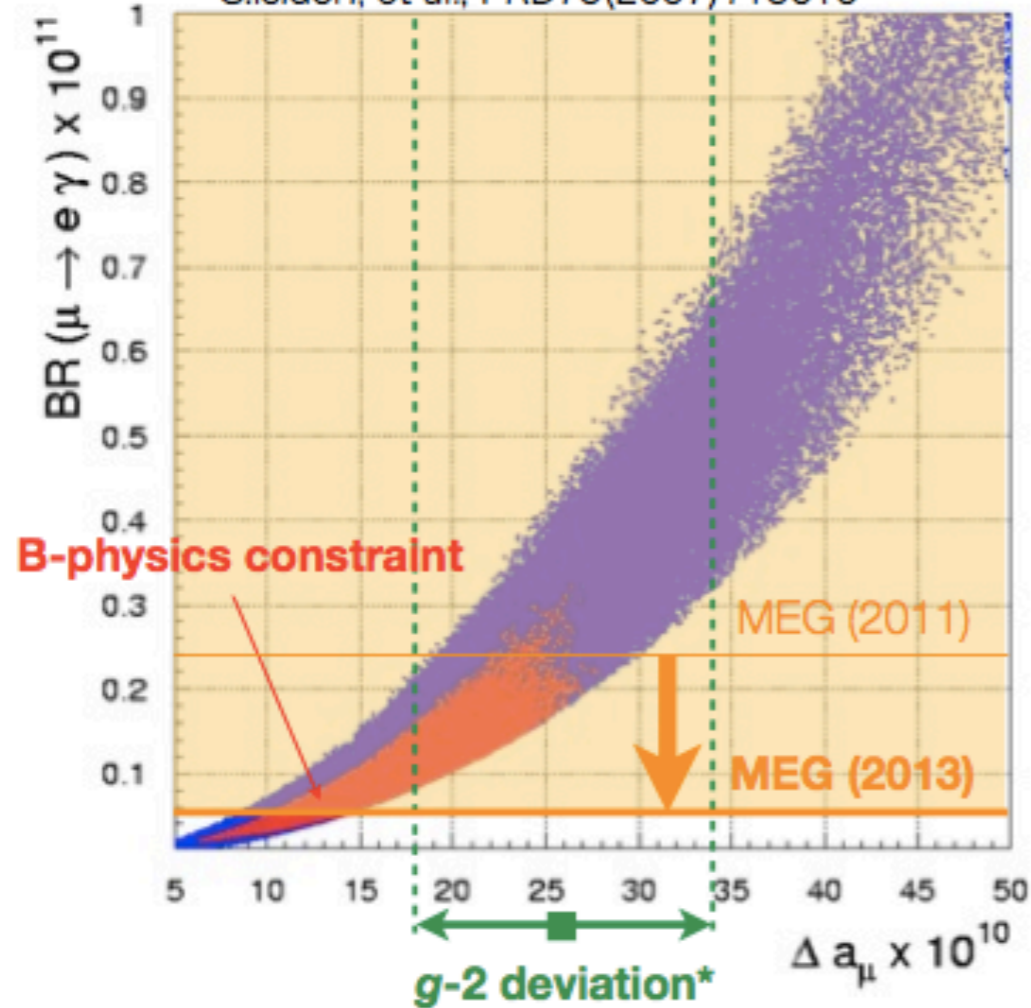
**x20 more stringent than the MEGA experiment result**

**$(B(\mu^+ \rightarrow e^+ \gamma) < 1.2 \times 10^{-11}$  -MEGA 2001)**

# Impact on NP Models

## SUSY-GUT

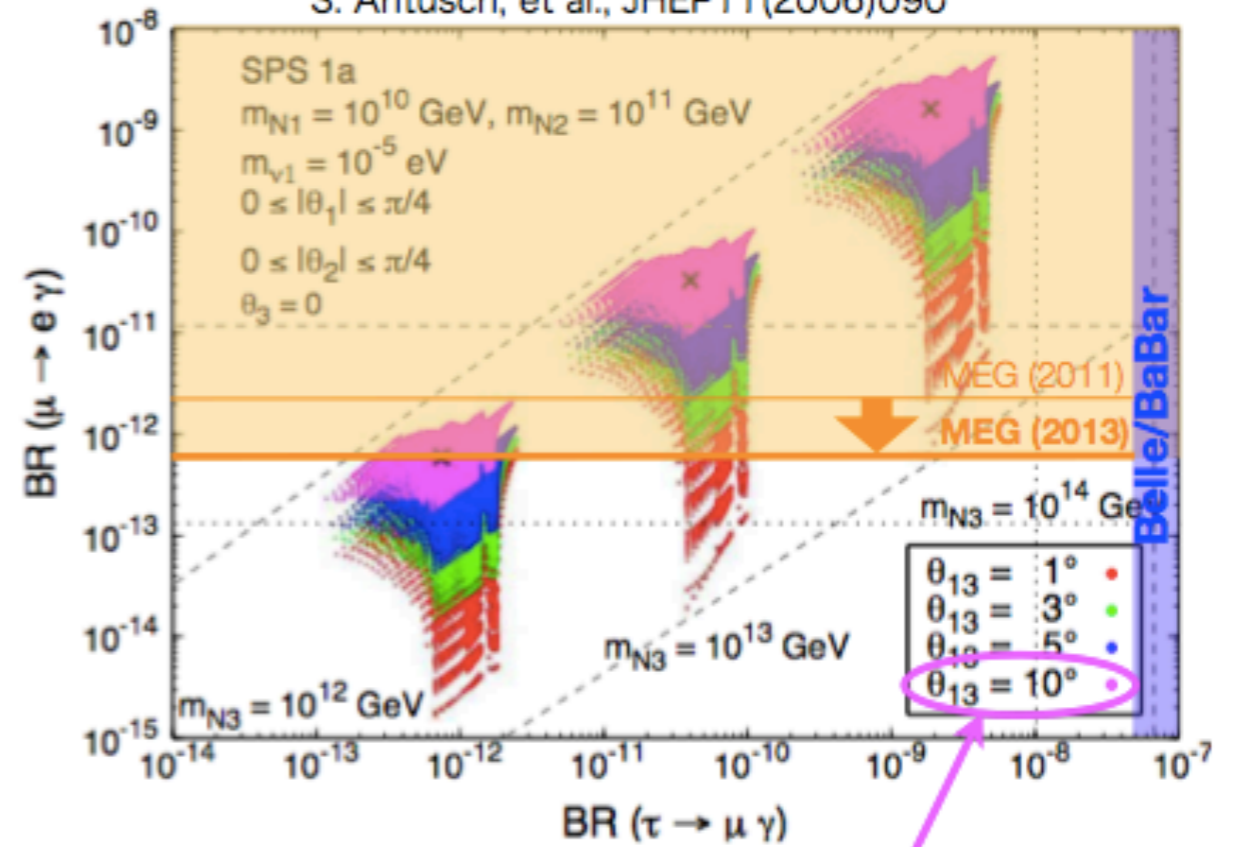
G.Isidori, et al., PRD75(2007)115019



\*  $a_\mu(\text{EXP})$ : PRD73(2006)072,  
 $a_\mu(\text{SM})$ : Hagiwara et al., JPG38(2011)085003

## SUSY-Seesaw

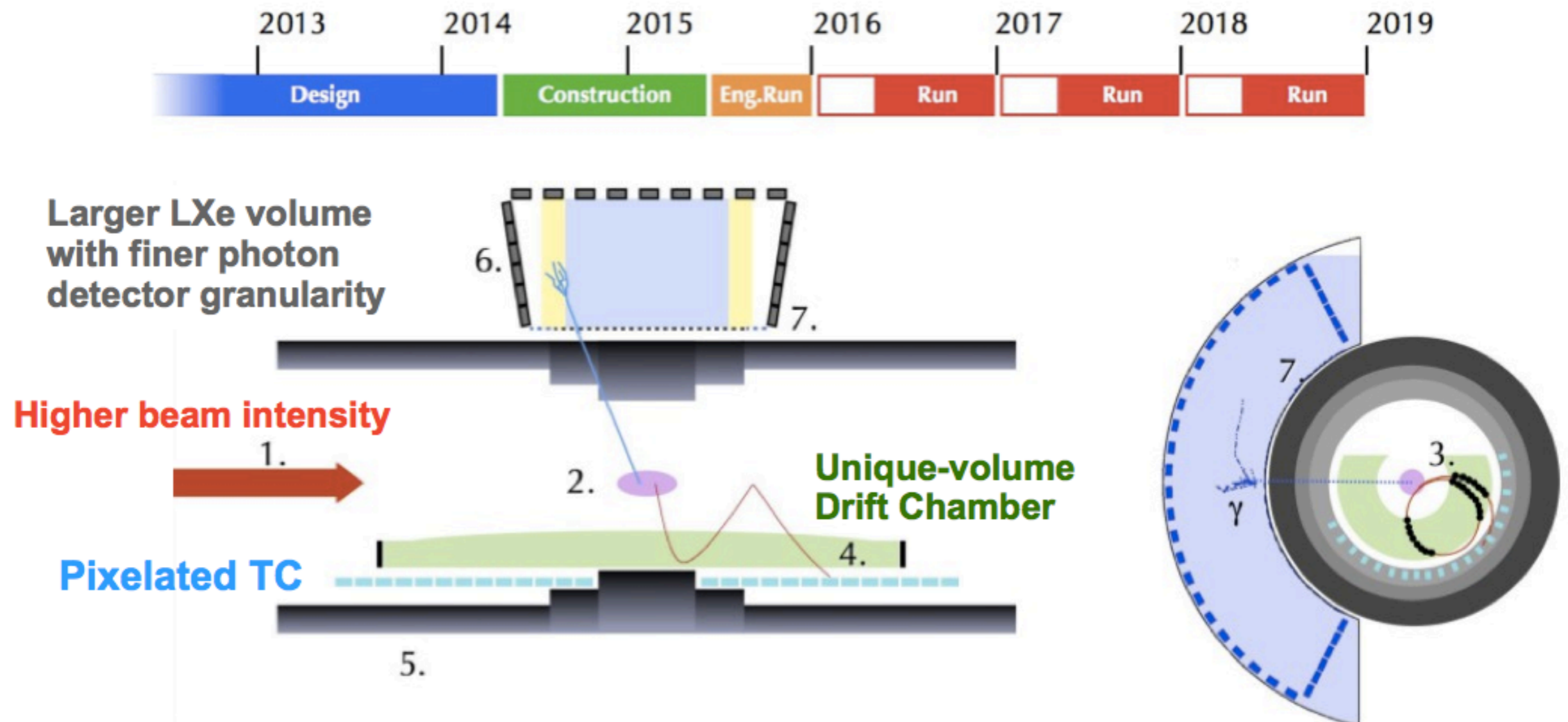
S. Antusch, et al., JHEP11(2006)090



Large  $\theta_{13}$  measured ( $\sim 9^\circ$ )!

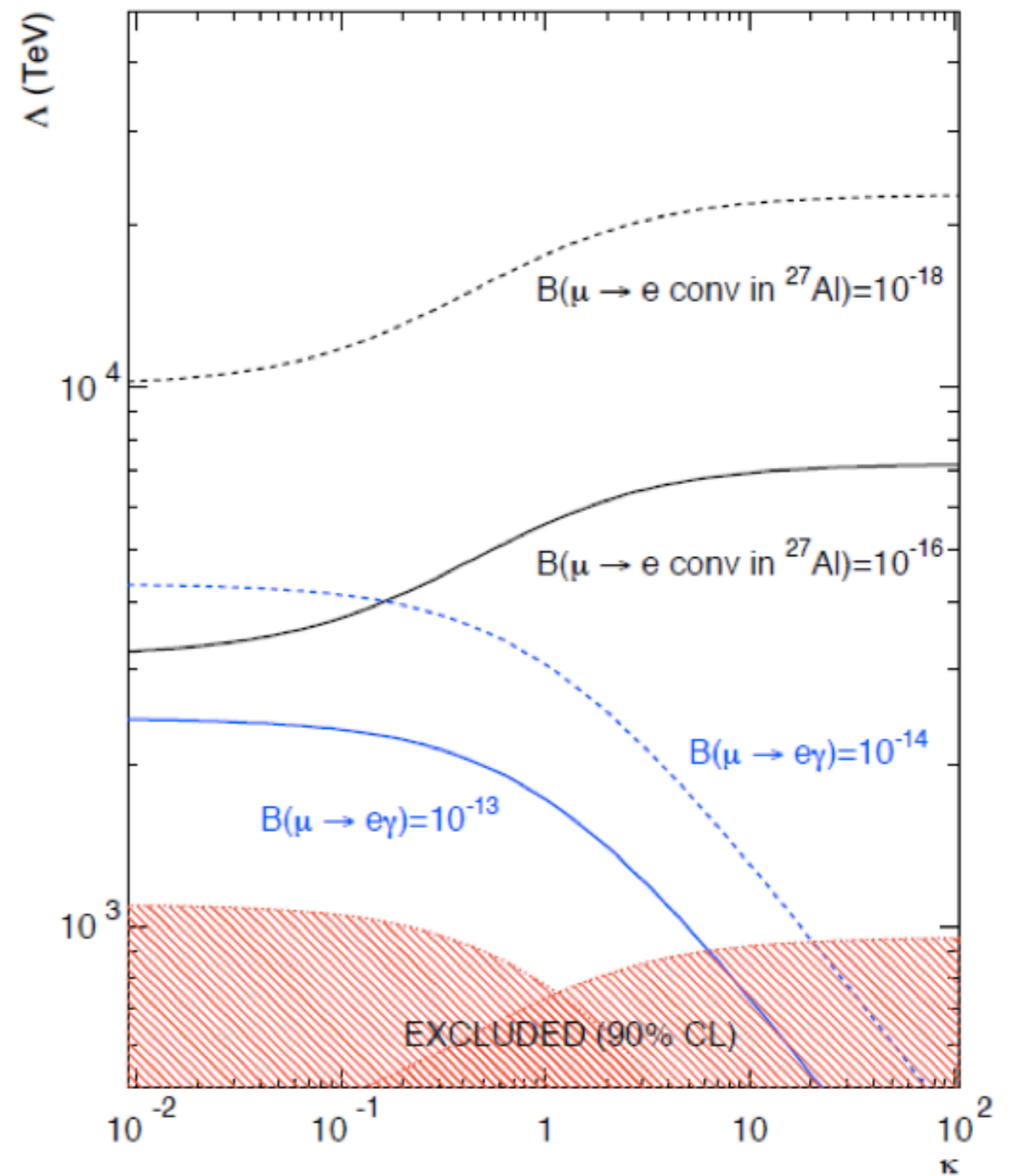
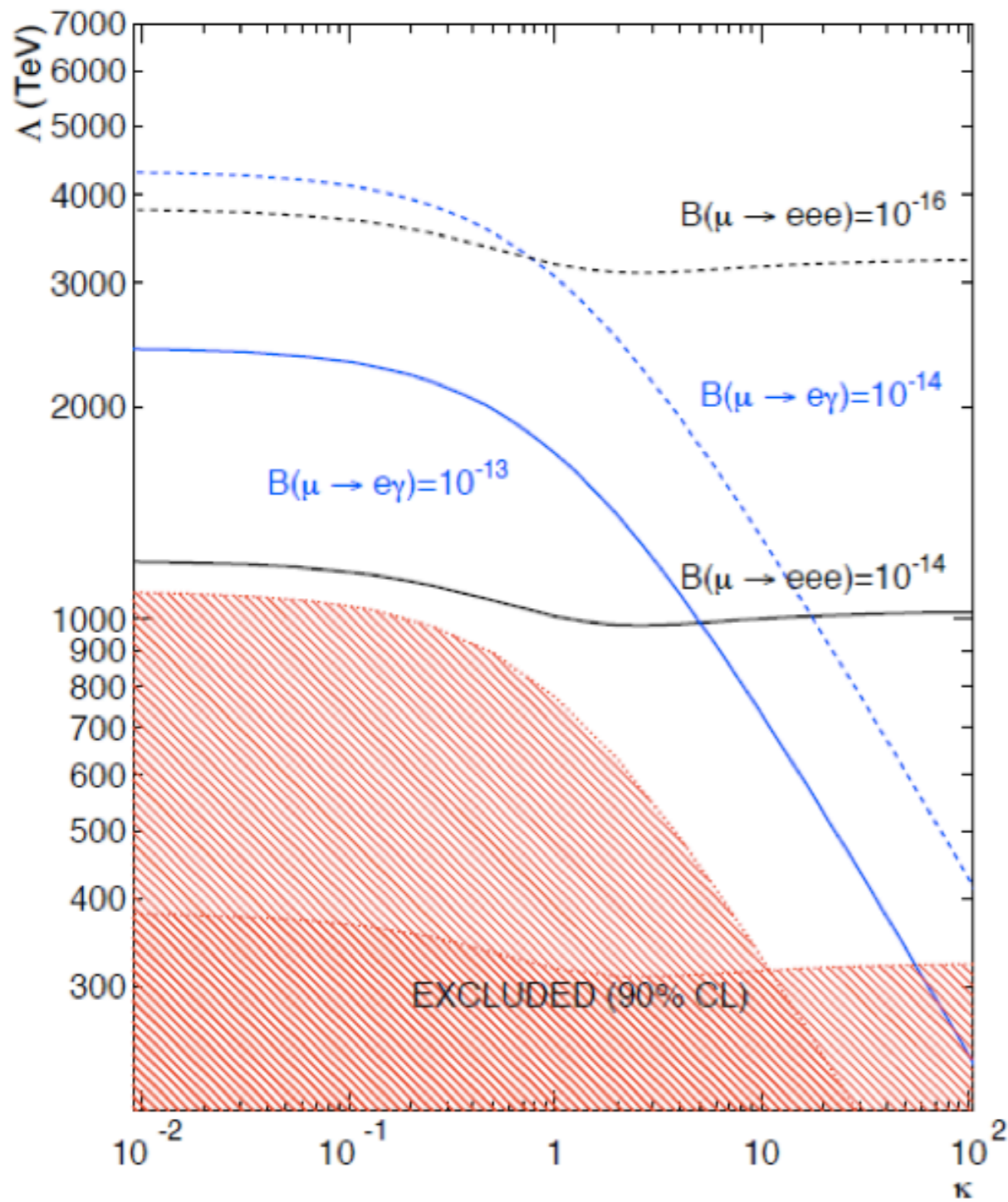
# Future Prospects

- An upgrade of MEG, aiming at a sensitivity improvement of **one order of magnitude** (down to  $5 \times 10^{-14}$ ) approved by PSI and funding agencies





$$\mu^+ \rightarrow e^+ \gamma \text{ VS } \mu^+ \rightarrow e^+ e^+ e^- , \text{ N } \mu^- \rightarrow \text{ N } e^-$$



# Summary

---

- MEG is searching for lepton flavor violating decay,  $\mu^+ \rightarrow e^+ \gamma$ , aiming at a sensitivity of **few  $\times 10^{-13}$**
- Based on 2009-11 data set, the new upper limit on the branching ratio is

$$\mathbf{B(\mu^+ \rightarrow e^+ \gamma) < 5.7 \times 10^{-13}}$$

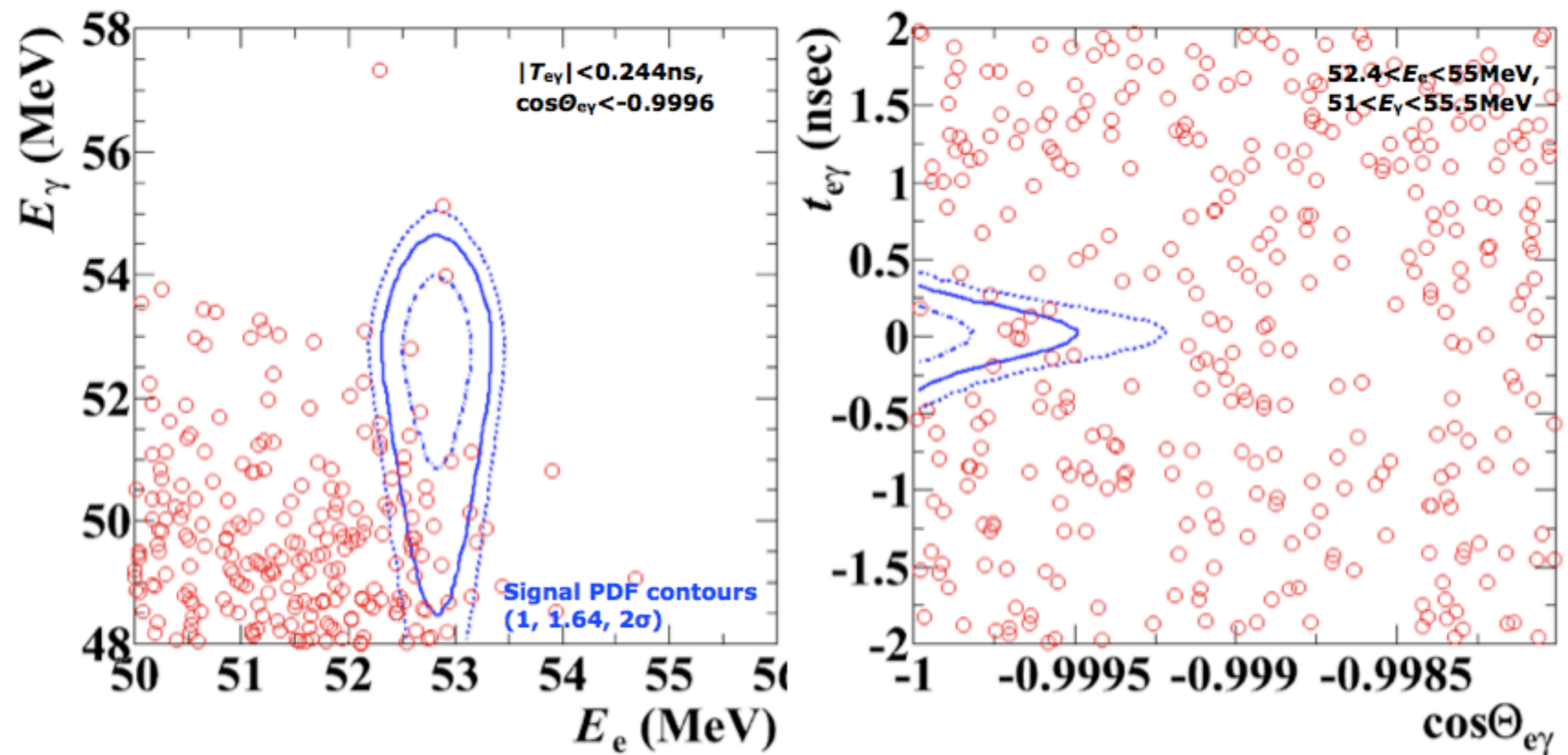
- The data statistics is expected **to be doubled with** (2012-13 ) sample
- The MEG upgrade has been approved by the PSI committee in Jan. 2013 and is in progress
- Upgraded MEG with an ultimate sensitivity ( **$\times 10$  higher than the current MEG**) is planned to start in 2016

# Back-up

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# Event Distribution

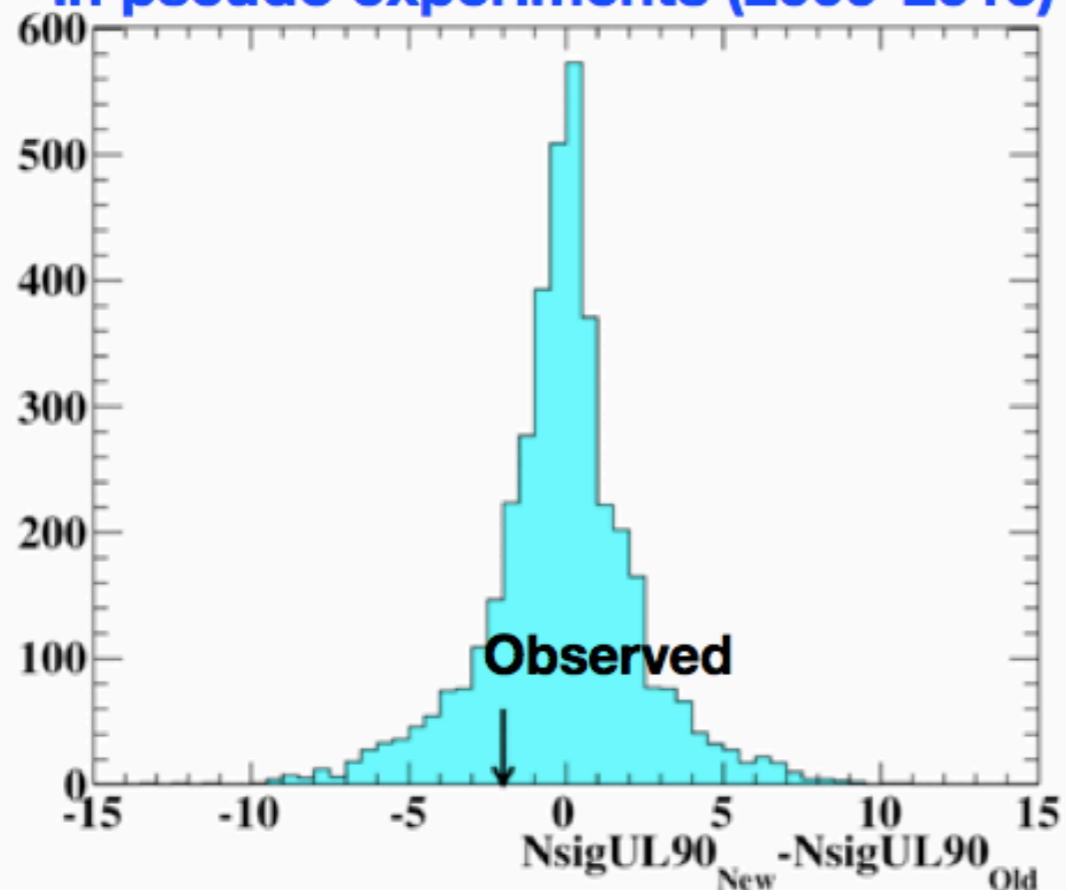
- All combined data (2009+10+11)



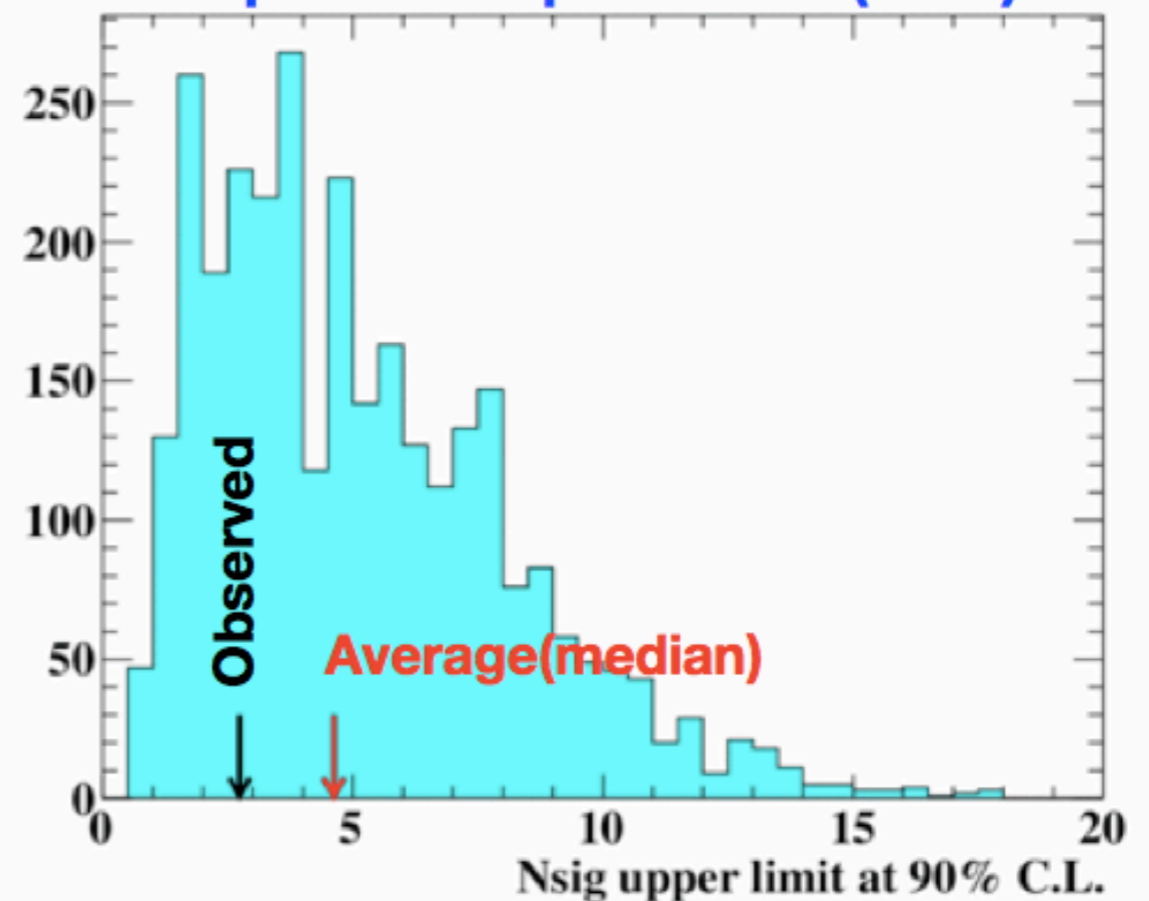
# Consistency Check

- Compatibility bw new/old analysys
- UL distribution

**$\Delta$ Nsig UL (new - old)  
in pseudo experiments (2009-2010)**



**UL distribution  
in pseudo experiments (2011)**



# Sideband Fit

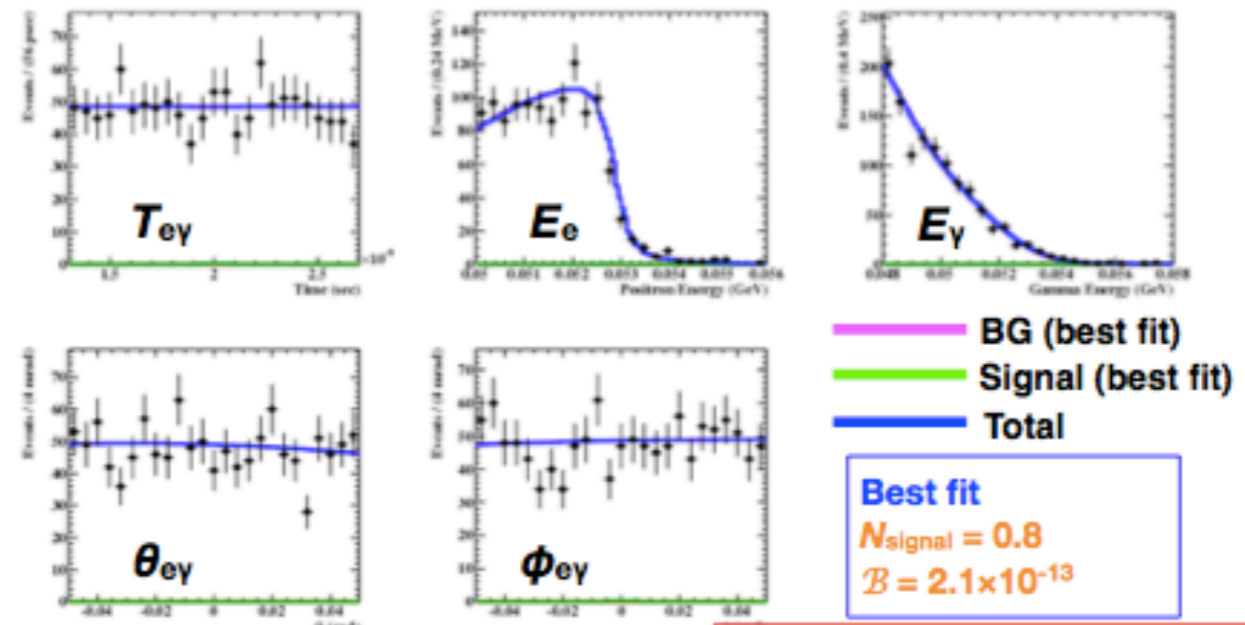
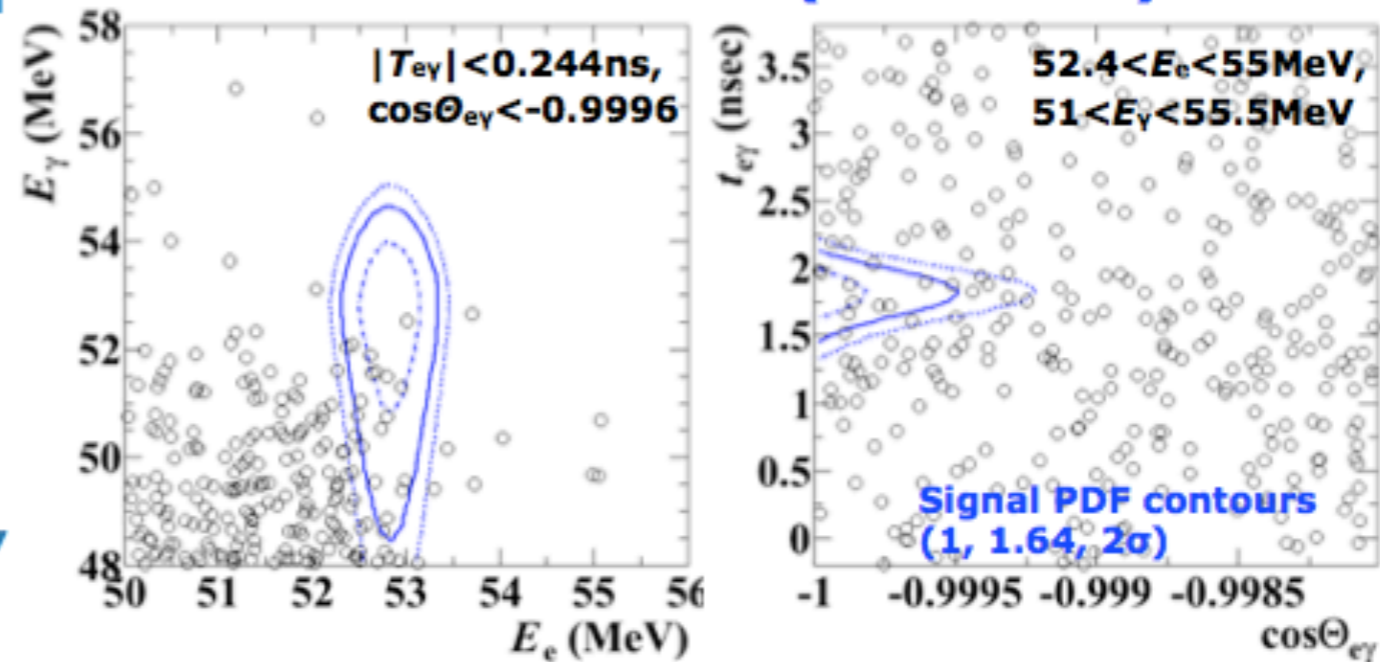
✓ Likelihood analyses in fictitious analysis regions in sidebands.

✓ Off-time sideband  
 $1.3 < |T_{ey}| < 2.7 \text{ ns}$

✓ Off-angle sideband  
 $50 < |\theta_{ey}| (|\phi_{ey}|) < 150 \text{ mrad},$   
 $|T_{ey}| < 0.7 \text{ ns}$

✓ Observed upper limits are consistent with sensitivity.

Off-time sideband (2011 alone)



$B < 1.4 \times 10^{-12}$  (90% C.L.)

# Normalization

- ☑ **Normalization to translate  $N_{sig}$  into  $\mathcal{B}$** 
  - ☑ **Two independent methods**
    - ☑ **Michel positrons counted with dedicated trigger**
    - ☑ **RMD rate observed at  $E_\gamma$ -sideband**
- ☑ **Combined estimate results in 4% uncertainty**

$$\begin{aligned}
 N_{sig} &= N_\mu \times \boxed{Br_{e\gamma}} \times \tau_{e\gamma} \times \epsilon_{e\gamma}^{trig} \times G_{e\gamma}^{DC} \times A_{e\gamma}^{TC} \times \epsilon_{e\gamma}^{DC} \times A_{e\gamma}^{LXe} \times \epsilon_{e\gamma}^{LXe} \\
 N_{ev\bar{\nu}} &= N_\mu \times Br_{ev\bar{\nu}} \times \tau_{ev\bar{\nu}} \times \epsilon_{ev\bar{\nu}}^{trig} \times G_{ev\bar{\nu}}^{DC} \times A_{ev\bar{\nu}}^{TC} \times \epsilon_{ev\bar{\nu}}^{DC} \times f_{ev\bar{\nu}}^E \times P
 \end{aligned}$$

$$BR(\mu^+ \rightarrow e^+ \gamma) = \frac{N_{signal}}{N_{ev\bar{\nu}}} \times \frac{f_{ev\bar{\nu}}^E}{P} \times \frac{\epsilon_{ev\bar{\nu}}^{trig}}{\epsilon_{e\gamma}^{trig}} \times \frac{A_{ev\bar{\nu}}^{TC}}{A_{e\gamma}^{TC}} \times \frac{\epsilon_{ev\bar{\nu}}^{DCH}}{\epsilon_{e\gamma}^{DCH}} \times \frac{1}{A_{e\gamma}^g} \times \frac{1}{\epsilon_{e\gamma}}$$